

Momentum Calibration

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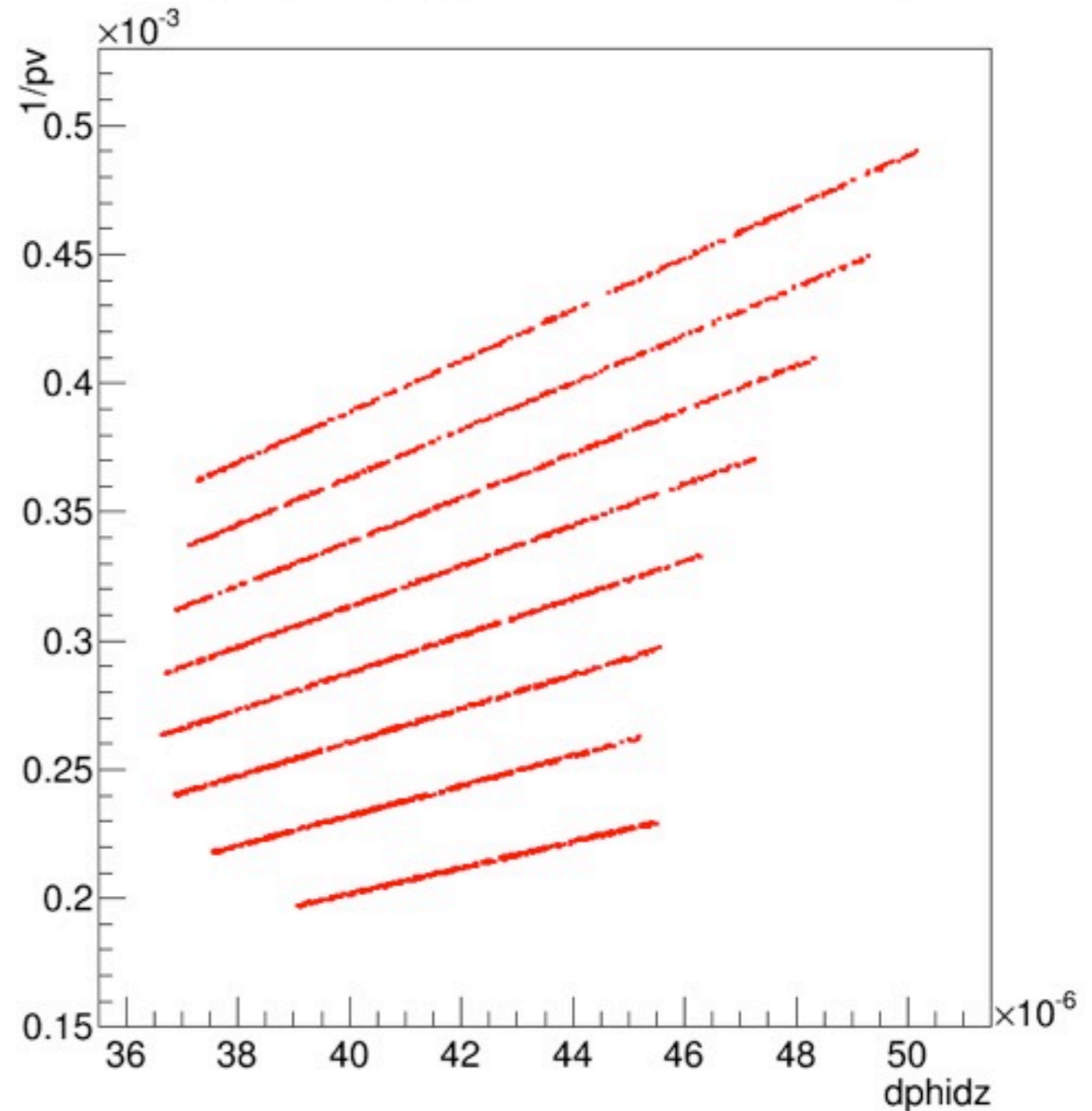
- Update of work done in 2012–3 (see e.g. http://hallaweb.jlab.org/12GeV/SoLID/meeting_coll/2013_03/rsholmes_kin.pdf)
- Up to date CLEO field — more complex fit than earlier
- Lessons learned about field granularity and propagation in GEMC

- Trajectory determined by vertex (x_v, y_v, z_v) and momentum (p, θ_p, ϕ_p) . $x_v, y_v \approx 0$.
- Hits in 2 GEM chambers give 4 quantities x_1, y_1, x_2, y_2 or r_1, ϕ_1, r_2, ϕ_2
- Invert the mapping.

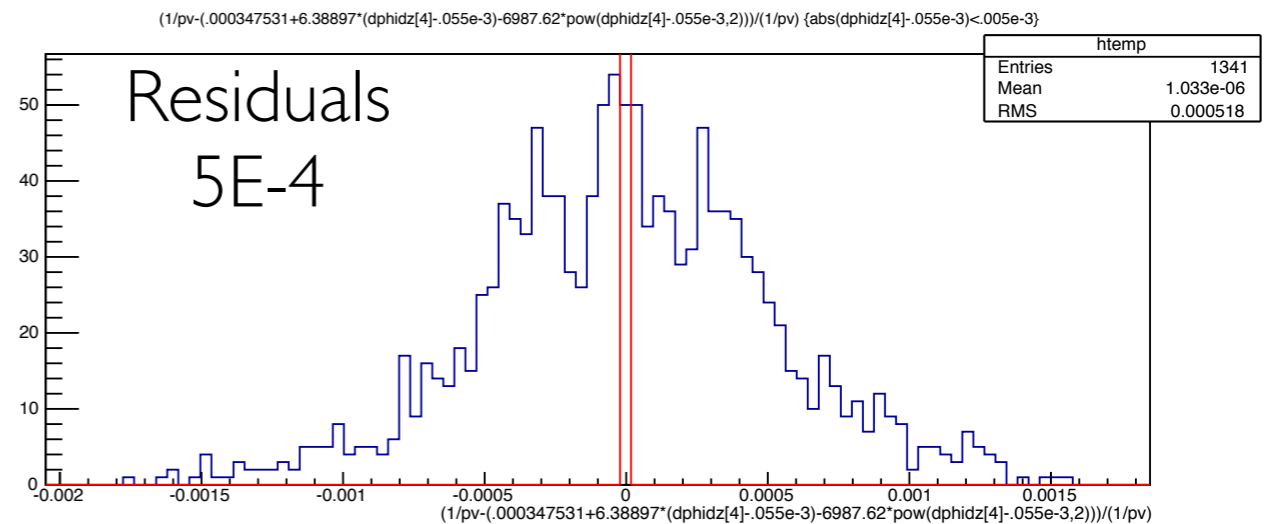
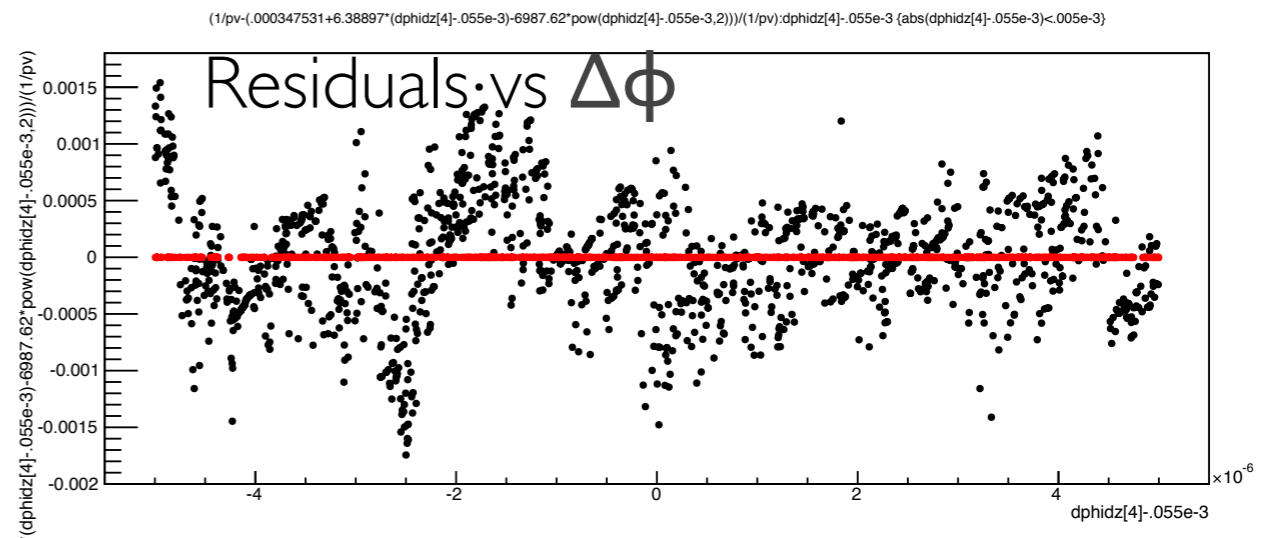
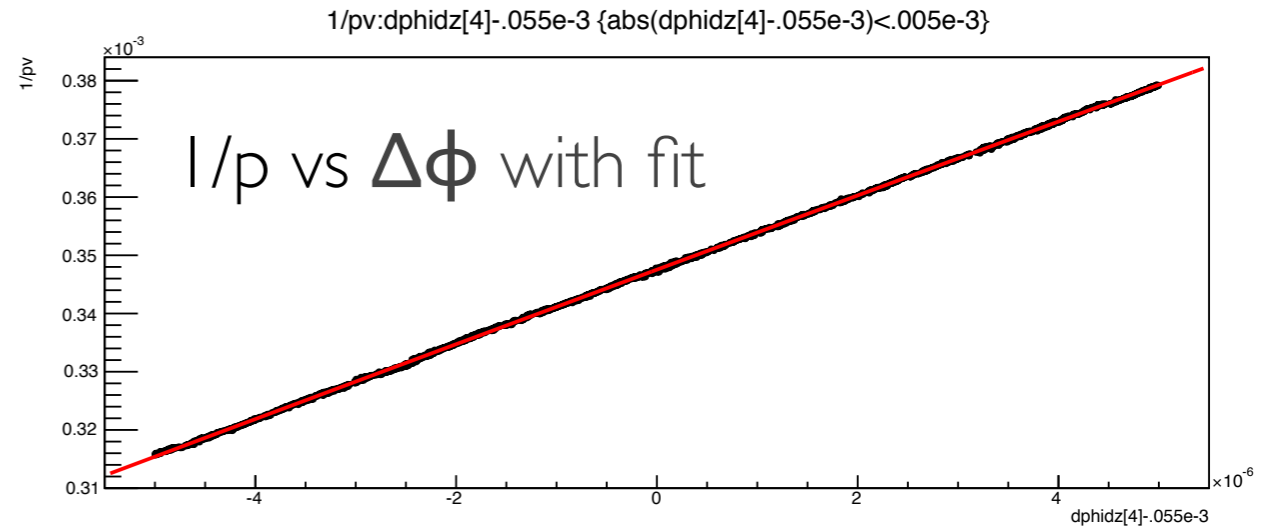
- Cylindrical symmetry \Rightarrow Use variables independent of ϕ_p :
 - $R \equiv (r_1 + r_2) / 2$
 - $\Delta\phi \equiv \phi_2 - \phi_1, \Delta r \equiv r_2 - r_1$
- $\Delta\phi$ is strongly correlated with $1/p$.
- Δr is correlated with $\tan \theta_p$
- $\Delta r/R$ is correlated with z_v
- For easier comparison between plane pairs, R is normalized by $(z_1 + z_2)/2$ and $\Delta\phi, \Delta r$ are normalized by $z_2 - z_1$

$1/p$ vs $\Delta\phi$ for thin target ($z_v=0$) and fixed values of Δr . $1/p \sim$ linear in $\Delta\phi$ but not proportional.

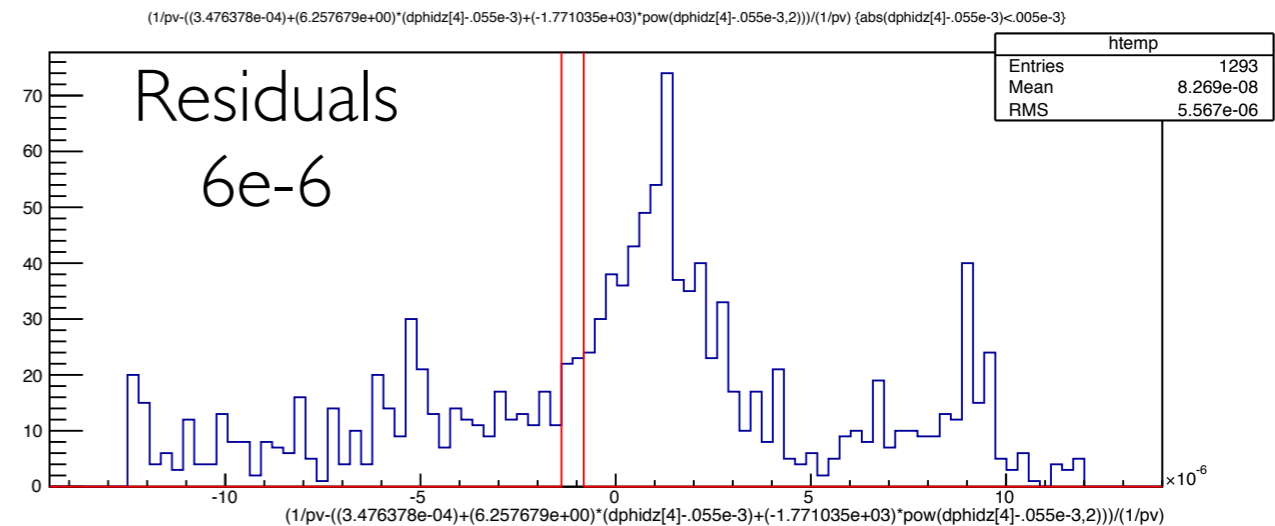
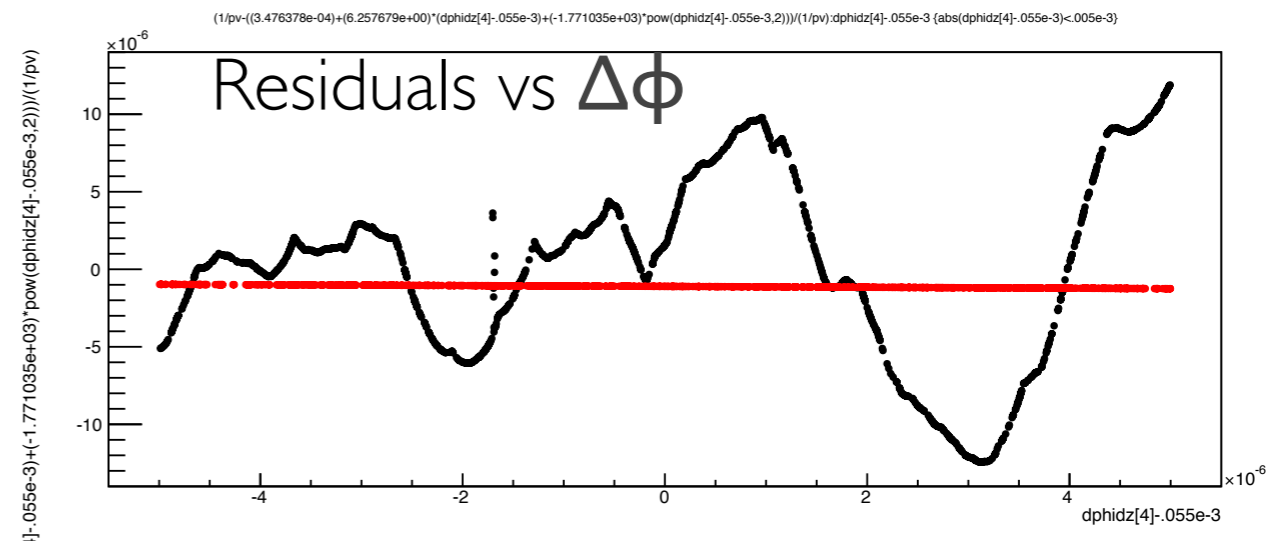
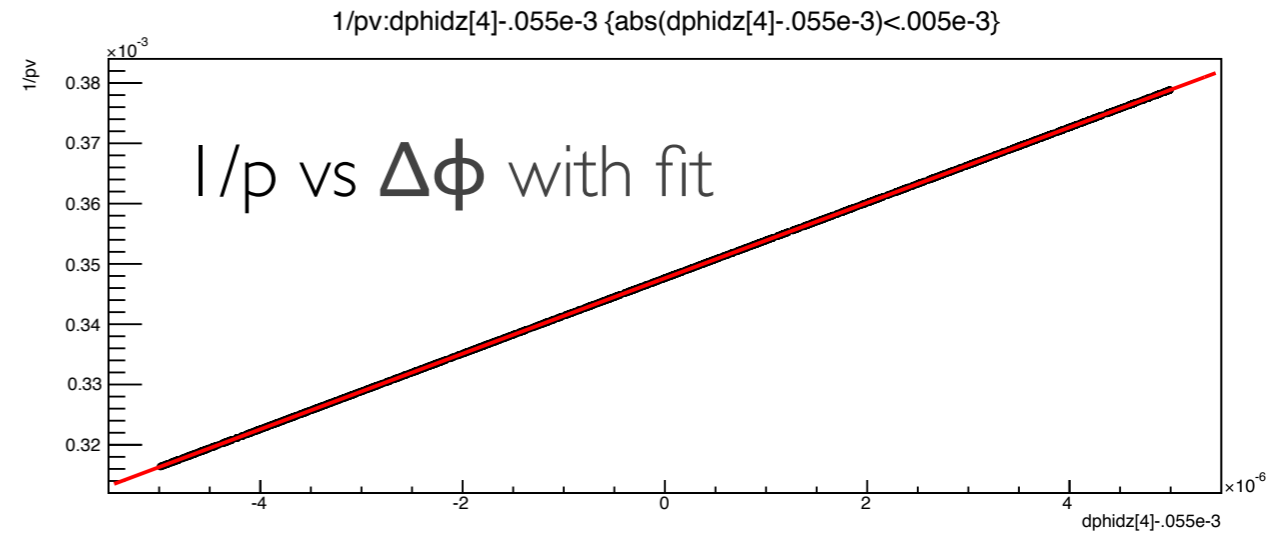
- For uniform field, $1/p$ is proportional to $\Delta\phi$. In previous work with older field this proportionality held, so $1/(p \Delta\phi)$ could be fit to 2-d polynomial in $\Delta r, \Delta r/R$
- For current version of field this does not work.



- Start with 1-dimensional problem. Use data where θ_p and z_v are fixed and fit $1/p$ to $\Delta\phi$. Use truth values of hit positions. NO material in simulation. No raster.
- Residual widths of order 0.1%. Why?
- For uniform field, residual width is zero.

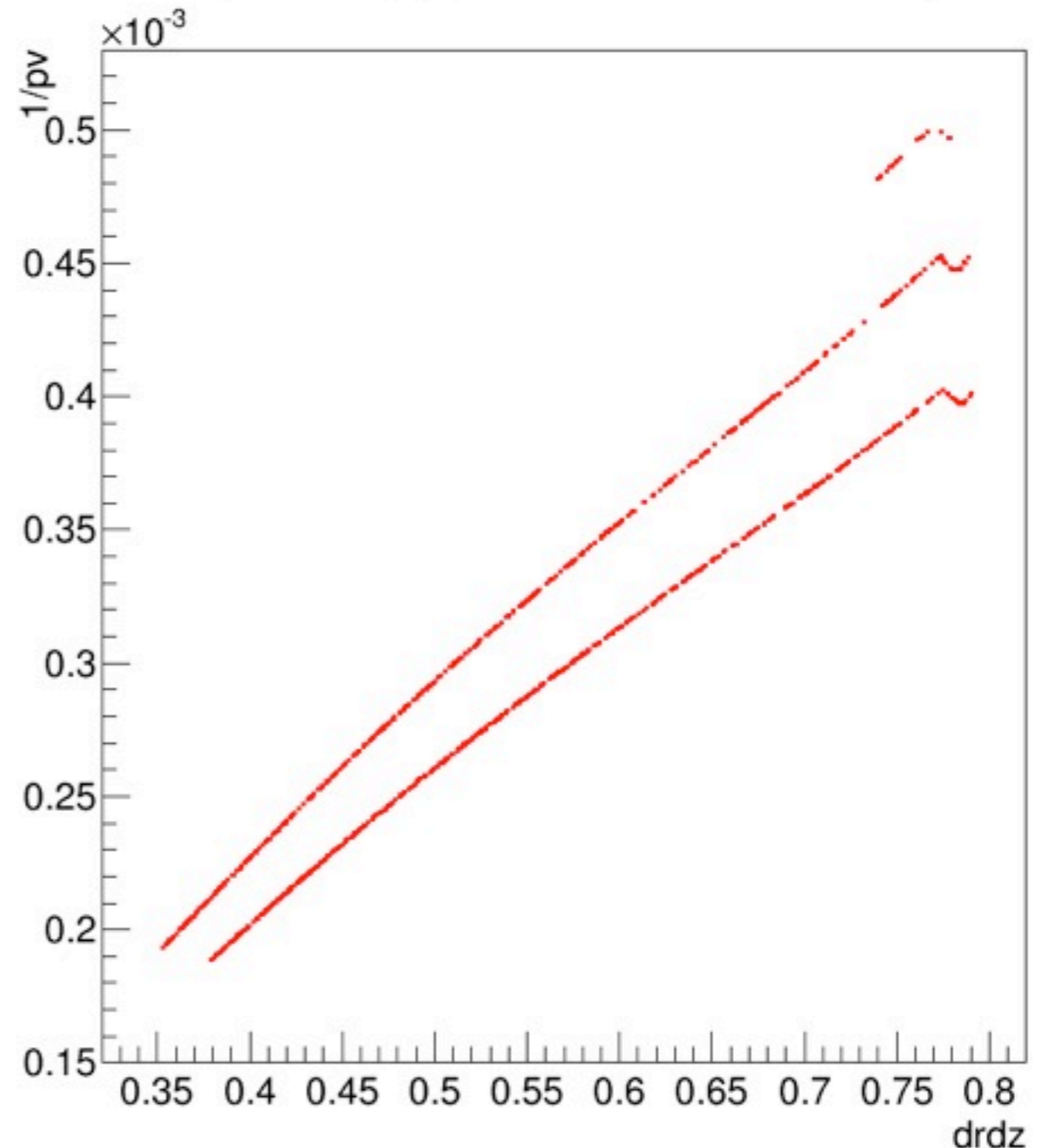


- Zhiwen recommended changes to field parameters in GEMC. Character of residuals vs $\Delta\phi$ changed (less “noisy”) but only small reduction in width.
- Standard GEMC uses only sampled field map without interpolation. Adding linear interpolation reduced widths by factor ~ 100 .

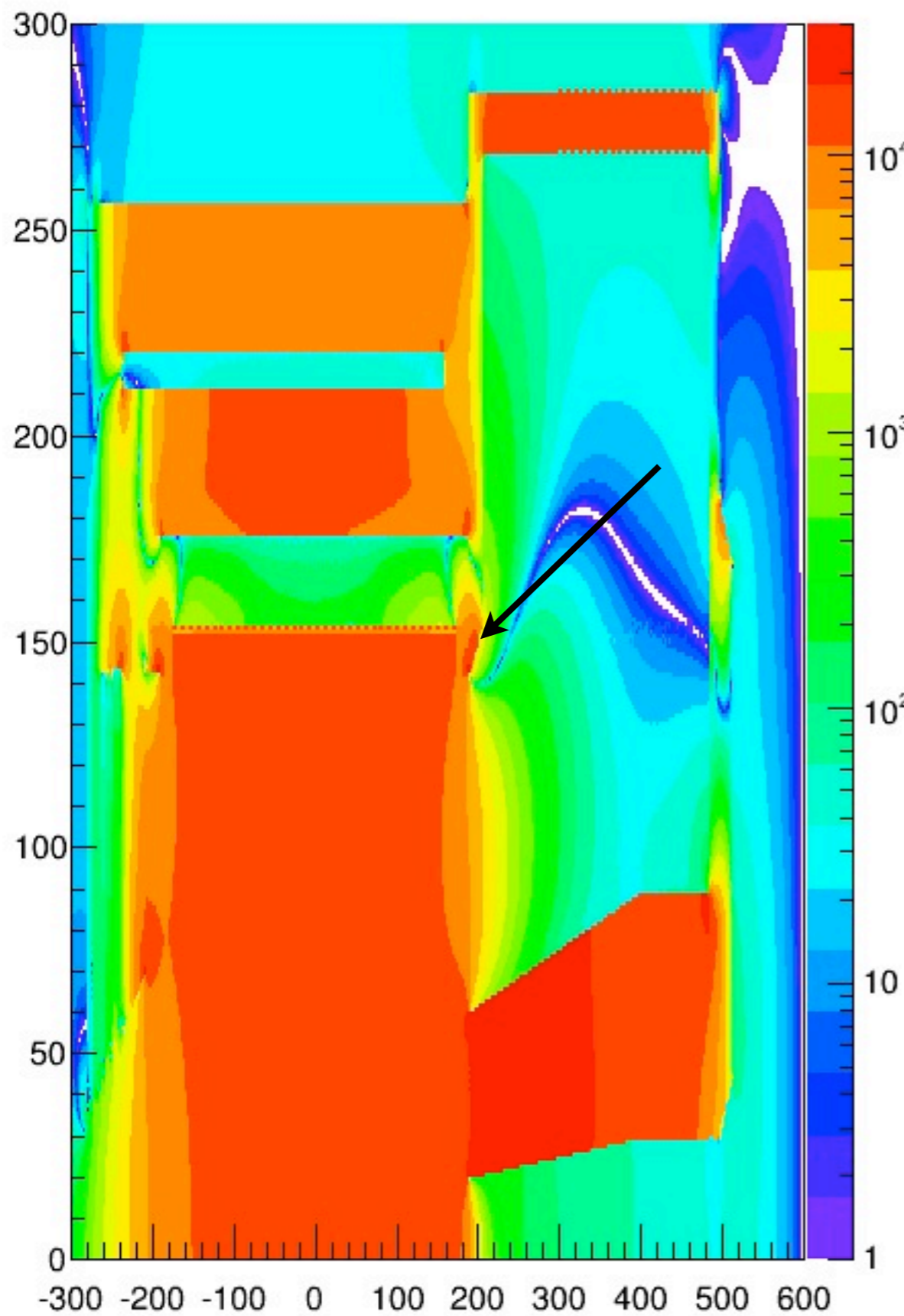


$1/p$ vs Δr for thin target ($z_v=0$) and fixed values of $\Delta\phi$.

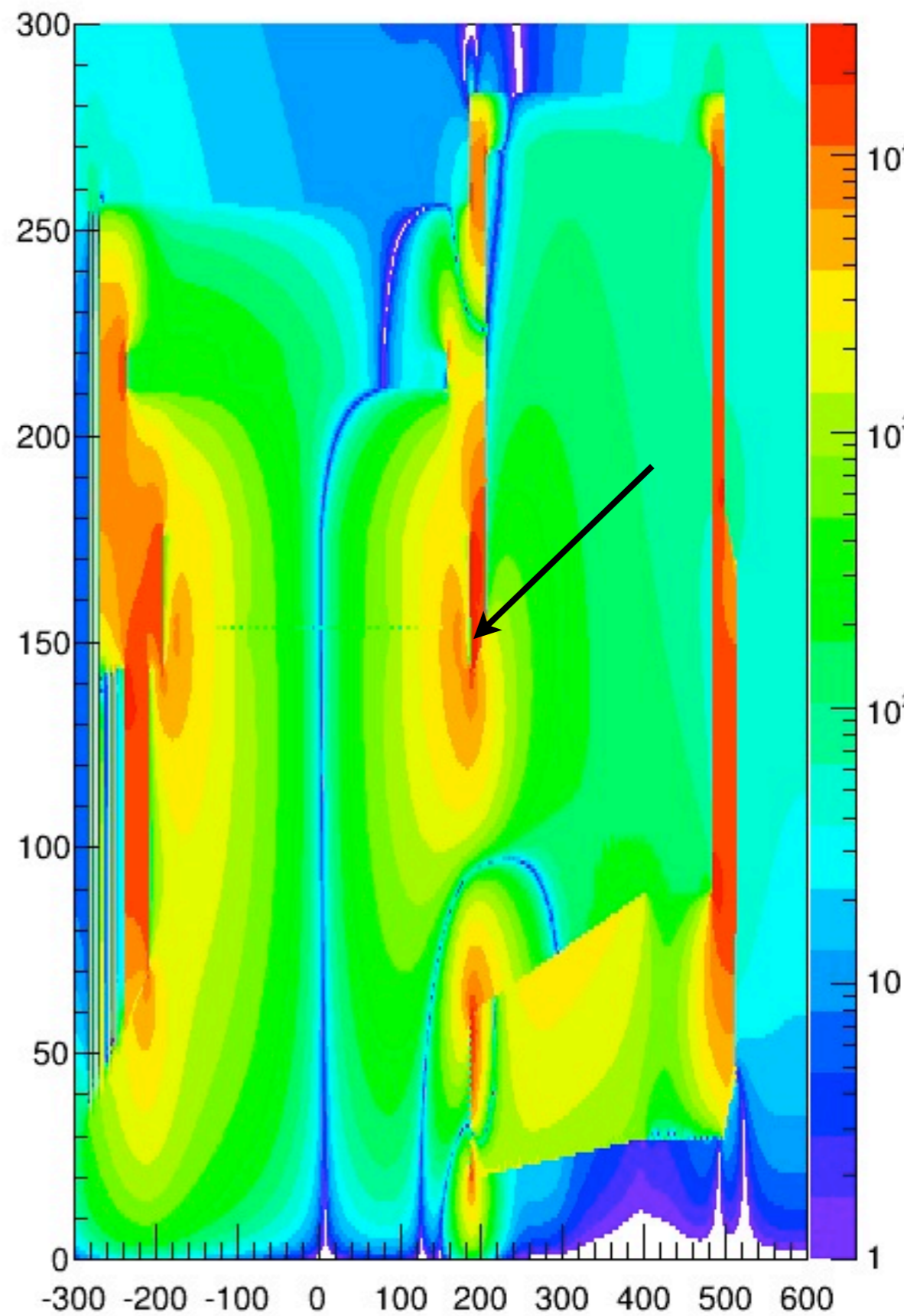
- 3D data (uniform p 2–6 GeV, θ_p 19° – 40° , z_v 10–30 cm, with cuts for $x_{bj} > .55$, $W^2 > 4 \text{ GeV}^2$, $Q^2 > 6 \text{ GeV}^2$) fit of $1/p$ to polynomial in $\Delta\phi$, Δr , $\Delta r/R$. **Poor results.**
- Cause: “kink” in $1/p$ vs. Δr observed when using downstream GEMs
- Cause of kink not known in detail but associated with passing through $z \sim 200$ cm, $r \sim 150$ cm



solenoid_CLEOv8.dat longitudinal

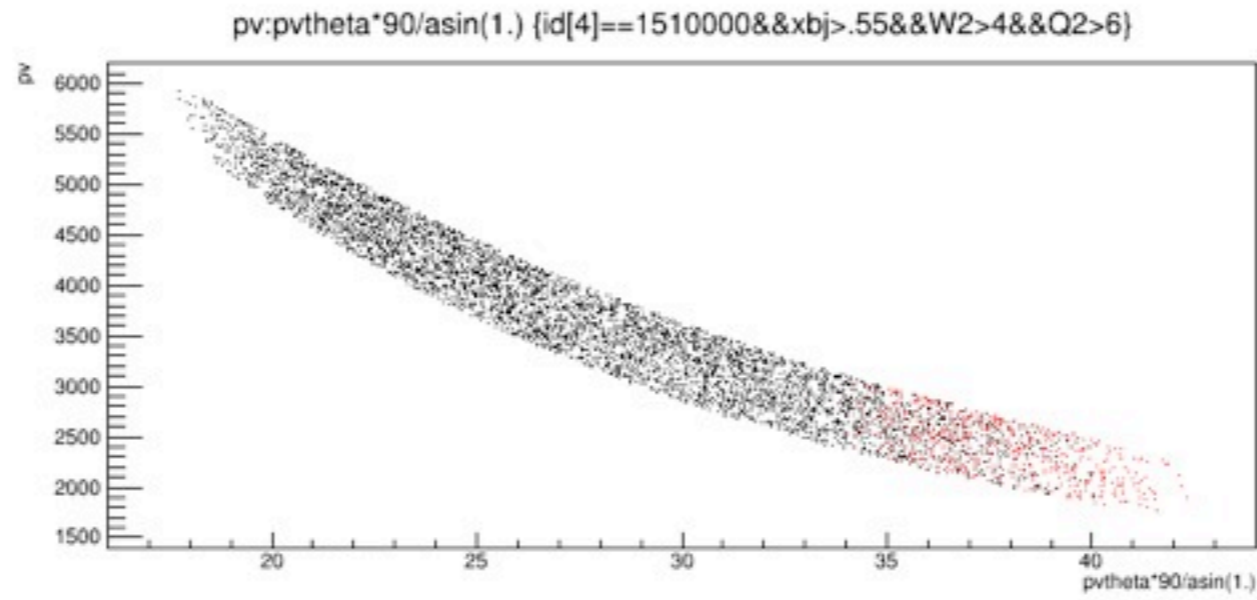


solenoid_CLEOv8.dat radial

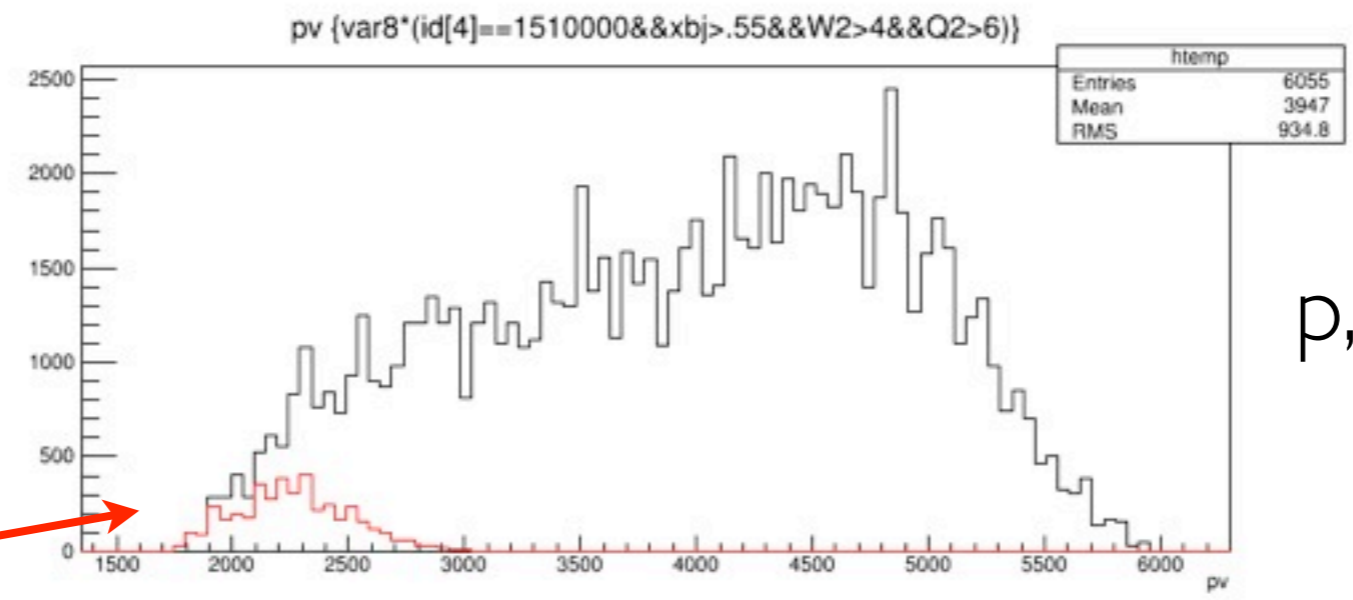


- With cuts on Δr to remove kinks, fits for all GEM pairs using downstream GEMs give $1/p$ with residual width $\sim 0.007\%$. Upstream GEMs are worse: 0.014% (1 and 2), 0.021% (1 and 3), 0.07% (2 and 3).
- Kink cut rejects about 4% of total rate. (Not optimized.)
High Q^2 , \sim uniform x_{bj} .
- Using 3D polynomial of order 1 in $\Delta\phi$, 4 in Δr , 3 in $\Delta r/R$. (40 parameters.)
- Not dealt with yet: Digitized signals, material, effects of rastering, cross calibration with elastics.

Extra

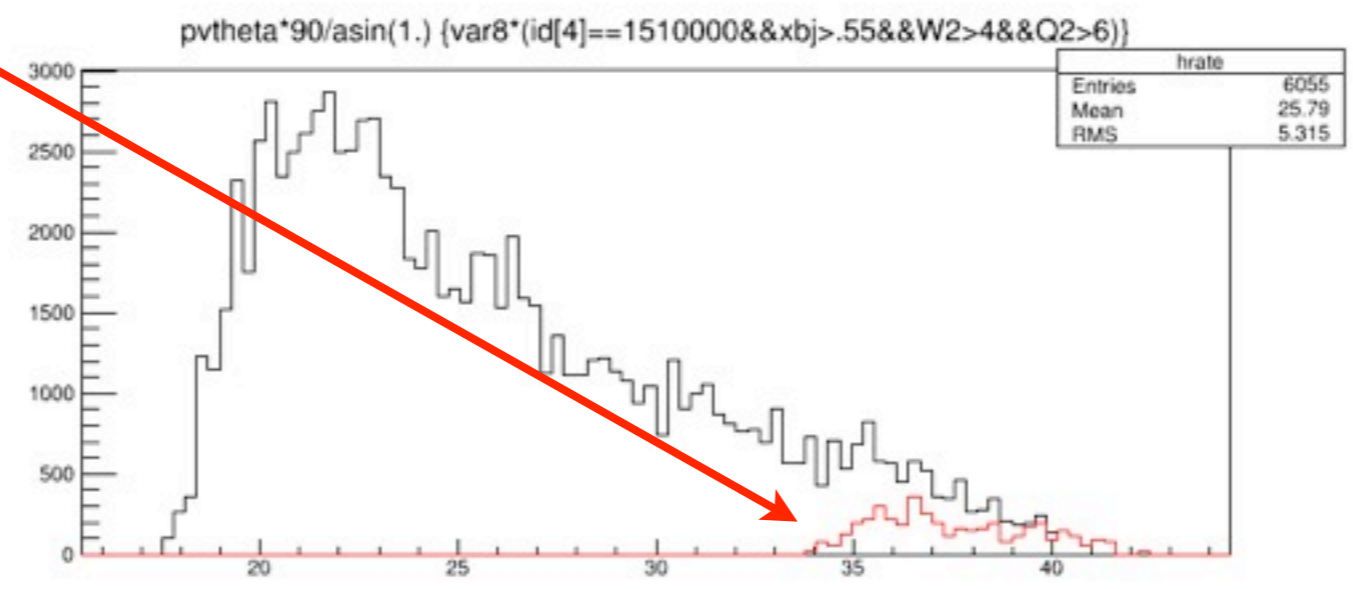


p vs θ_p

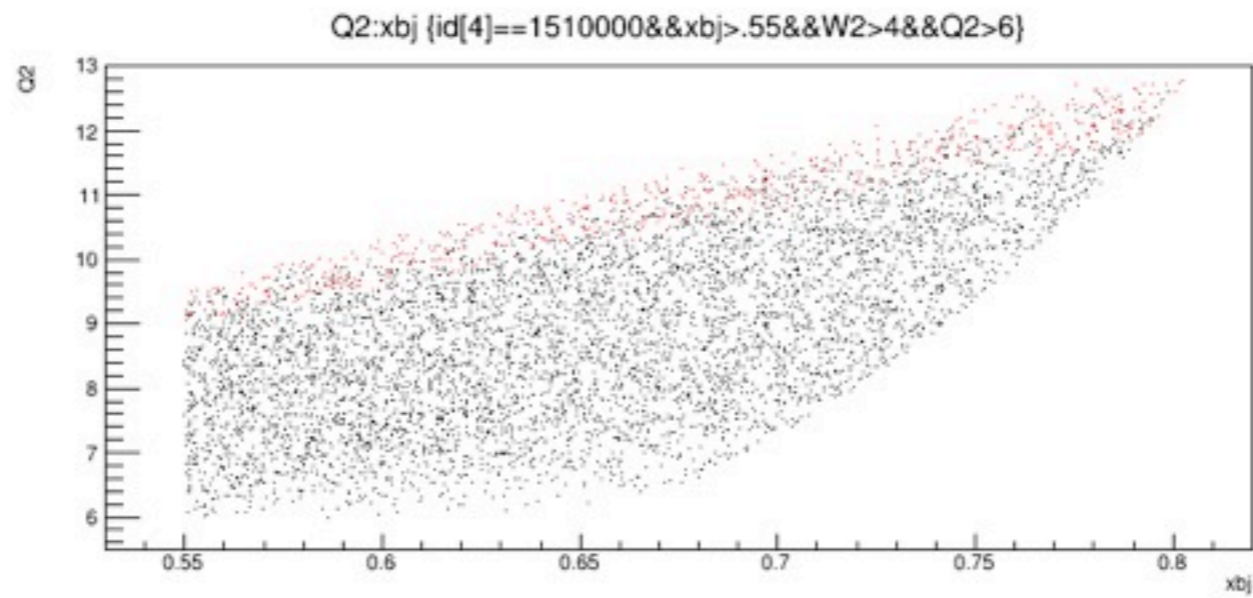


p , DIS rates

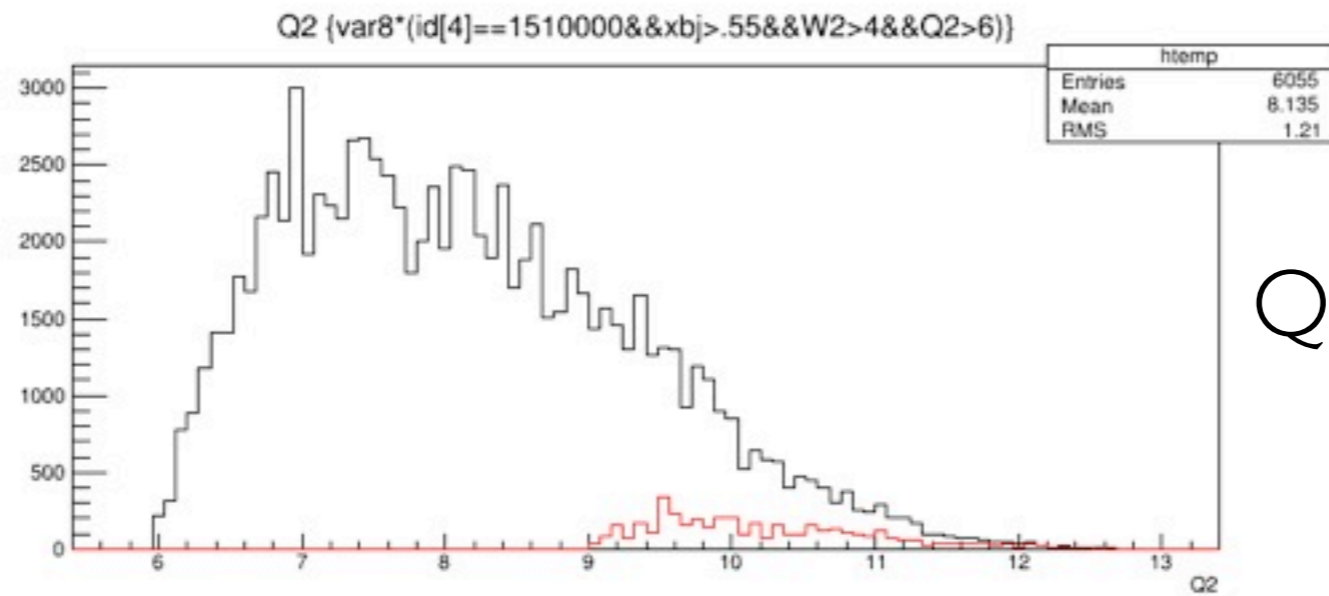
Kink cut
~4% of total rate



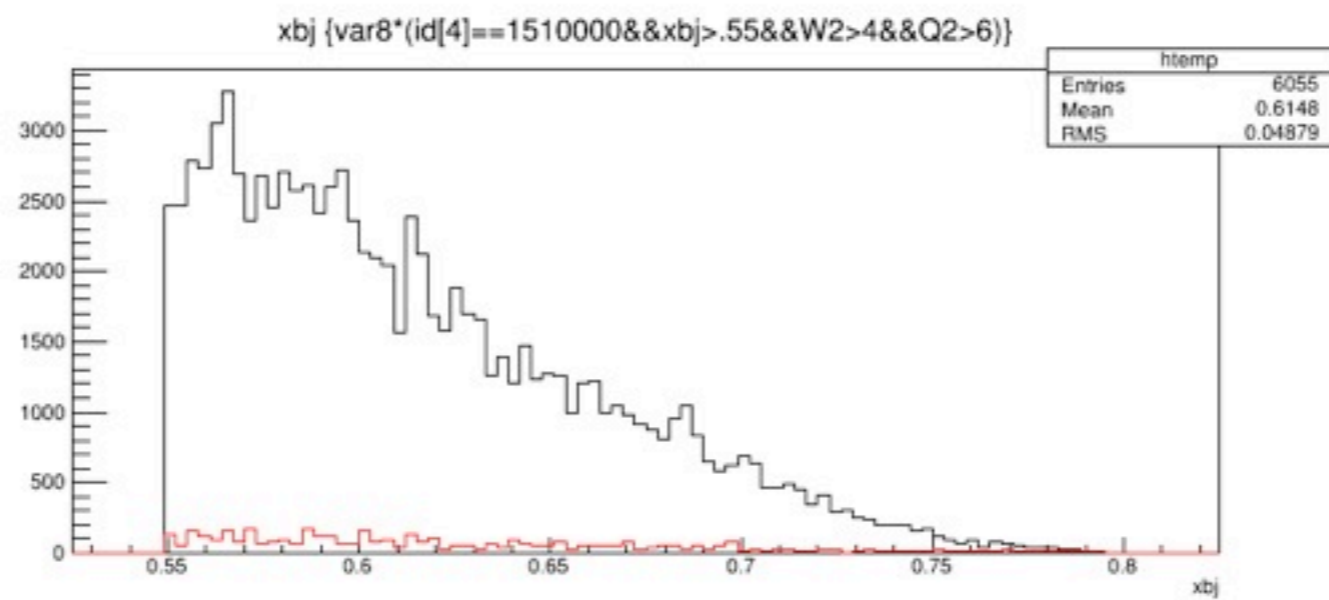
θ_p



Q^2 vs X_{bj}



Q^2 , DIS rates



X_{bj}